

## Principles of programming languages Lecture 8

<http://few.vu.nl/~nsilvis/PPL/2007>

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## Announcements

- n Exam 19 dec moved to 15:15-18:00.
- n Guest lecture moved to 14 dec.
- n Deadlines reports: 1 December
- n Student presentations in 2 sessions:  
30 nov and 7 december

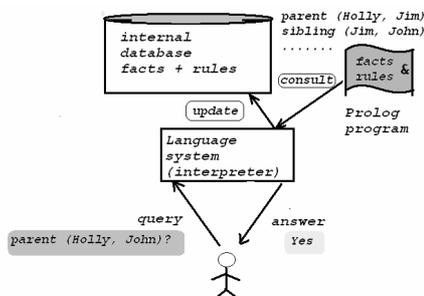
## Logic programming

- ➔ n First look at Prolog
- n Declarative vs. Procedural programming
- n Behind the scenes
- n Second look at Prolog
- n Example

## The idea of logic programming

- n A program is a collection of facts and rules (Horn clauses)
- n The user can ask questions to the language system by giving a **goal** to prove. The language system tries to prove the goal by using the clauses given in the program.
- n Goal - oriented

## Logical programming



## Facts about Prolog

- n Prolog = Programming in Logic (University of Marseille, mid 70s)
- n The most important logic language (other - Godel, Escher)
- n A declarative language. Programmer only specifies the problem and the language system finds a solution.
- n Used in AI applications (automated reasoning systems, expert systems)

## Terms

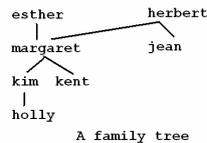
- n All Prolog programs and data are built from terms:
  - i Constants: `1`, `1.23`, `fred`, `*`, `=`, `[]`
  - i Variables: `X`, `Y`, `Fred`, `Child`, `_`
  - i Compound terms: `parent(X,Y)`

## The Prolog Database

- n A Prolog language system maintains a database of facts and rules of inference
- n A Prolog program is a set of data for this database

## Facts

```
parent(kim,holly).
parent(margaret,kim).
parent(margaret,kent).
parent(ester,margaret).
parent(herbert,margaret).
parent(herbert,jean).
```



- n A fact is a term followed by a colon.
- n This is a Prolog program of six facts
- n parent is a predicate of arity 2
- n Natural interpretation : facts about families: Kim is the parent of Holly , etc

## SWI-Prolog

```
Welcome to SWI-Prolog (Version 3.4.2)
Copyright (c) 1990-2000 University of Amsterdam.
Copy policy: GPL-2 (see www.gnu.org)
```

```
For help, use ?- help(Topic). or ?- apropos(Word).
```

```
?-
```

- n Prompting for a query with `?-`
- n To exit Prolog, use either `?-halt.` or `Ctrl-D`

## Read a program

```
?- consult(relations).
% relations compiled 0.00 sec, 0 bytes

Yes
?-
```

- n Consult is used to read a program from a file into the database
- n File `relations` (or `relations.pl`) contains `parent` facts

## Simple Queries

```
?- parent(margaret,kent).

Yes
?- parent(fred,pebbles).

No
?-
```

- n Now we can ask the language system to prove something = make a query
- n The answer will be `Yes` or `No`
- n (Some queries, like `consult`, are executed only for their side-effects)

## Queries With Variables

```
?- parent(P, jean).
```

```
P = herbert
```

```
Yes
```

```
?- parent(P, esther).
```

```
No
```

Here, it waits for input. We hit Enter to make it proceed.

- n The Prolog system shows the bindings necessary to prove the query
- n The binding makes a query term **unify** with a fact term from the program

## Unification

- n Pattern-matching in Prolog
- n Two terms **unify** if there is some way of binding their variables that makes them identical

parent(**P**, jean)    parent(**herbert**, jean)

## Unification

- n Two Prolog terms  $t_1$  and  $t_2$  *unify* if there is some substitution  $\sigma$  (their *unifier*) that makes them identical:  $\sigma(t_1) = \sigma(t_2)$ 
  - i **a** and **b** do not unify
  - i **f(x, b)** and **f(a, y)** unify: a unifier is  $\{x \rightarrow a, y \rightarrow b\}$
  - i **f(x, b)** and **g(x, b)** do not unify
  - i **a(x, x, b)** and **a(b, x, x)** unify: a unifier is  $\{x \rightarrow b\}$
  - i **a(x, x, b)** and **a(c, x, x)** do not unify
  - i **a(x, f)** and **a(x, f)** do unify: a unifier is  $\{\}$

## Substitutions

- n A *substitution* is a function that maps variables to terms:
  - $\sigma = \{x \rightarrow a, P \rightarrow \text{herbert}\}$
- n This  $\sigma$  maps **x** to **a** and **P** to **herbert**
- n The result of applying a substitution to a term is an *instance* of the term

## Flexibility

- n More flexible than Java
- n Normally, variables can appear in any or all positions in a query:
  - i **parent(Parent, jean)**
  - i **parent(esther, Child)**
  - i **parent(Parent, Child)**
  - i **parent(Person, Person)**

## Conjunctions

```
?- parent(margaret, X), parent(X, holly).
```

```
X = kim
```

```
Yes
```

- n A conjunctive query has a list of query terms separated by commas
- n The Prolog system tries prove them all (using a single set of bindings)

## Multiple Solutions

```
?- parent(margaret,Child).
Child = kim ;
Child = kent ;
No
```

- n There might be more than one way to prove the query
- n By typing ; rather than Enter, you ask the Prolog system to find more

```
?- parent(Parent,kim), parent(Grandparent,Parent).
```

```
Parent = margaret
Grandparent = esther ;
```

```
Parent = margaret
Grandparent = herbert ;
```

```
No
```

```
?- parent(esther,Child),
|   parent(Child,Grandchild),
|   parent(Grandchild,GreatGrandchild).
```

```
Child = margaret
Grandchild = kim
GreatGrandchild = holly
```

```
Yes
```

## Rules

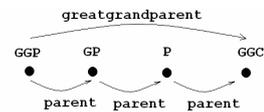
```
greatgrandparent(GGP,GGC) :-
parent(GGP,GP),
parent(GP,P),
parent(P,GGC).
```

↑ head
← conditions

- n A rule says how to prove something: to prove the head, prove the conditions
- n To prove `greatgrandparent(GGP,GGC)`, find some `GP` and `P` for which you can prove `parent(GGP,GP)`, then `parent(GP,P)` and then finally `parent(P,GGC)`

## Example

```
parent(kim,holly).
parent(margaret,kim).
parent(margaret,kent).
parent(esther,margaret).
parent(herbert,margaret).
parent(herbert,jean).
greatgrandparent(GGP,GGC) :-
parent(GGP,GP), parent(GP,P), parent(P,GGC).
```



## Example

```
?- greatgrandparent(esther,GreatGrandchild).
GreatGrandchild = holly
Yes
```

- n This shows the initial query and final result
- n Internally, there are intermediate goals:
  - i The first goal is the initial query
  - i The next is what remains to be proved after transforming the first goal using one of the clauses (in this case, the `greatgrandparent` rule)
  - i And so on, until nothing remains to be proved

1. `parent(kim,holly).`
2. `parent(margaret,kim).`
3. `parent(margaret,kent).`
4. `parent(esther,margaret).`
5. `parent(herbert,margaret).`
6. `parent(herbert,jean).`
7. `greatgrandparent(GGP,GGC) :-`  
`parent(GGP,GP), parent(GP,P), parent(P,GGC).`

```
greatgrandparent(esther,GreatGrandchild)
```

```
↓ Clause 7, binding GGP to esther and GGC to GreatGrandchild
```

```
parent(esther,GP), parent(GP,P), parent(P,GreatGrandchild)
```

```
↓ Clause 4, binding GP to margaret
```

```
parent(margaret,P), parent(P,GreatGrandchild)
```

```
↓ Clause 2, binding P to kim
```

```
parent(kim,GreatGrandchild)
```

```
↓ Clause 1, binding GreatGrandchild to holly
```

## Scope

```
grandparent(GP,GC) :-  
    parent(GP,P), parent(P,GC).  
  
greatgrandparent(GGP,GGC) :-  
    grandparent(GGP,P), parent(P,GGC).
```

- n Same relation, defined indirectly
- n Note that both clauses use a variable **P**
- n First occurrence of a variable serves as definition
- n The scope of the definition of a variable is the clause that contains it

## Recursion

- n Recursion plays a central role in Prolog
- n For example take the relation `parent(X,Y)`
- n Such a relation can be generalized to `X` is ancestor of `Y`, to operate over as many generations as necessary.

## Recursive Rules

```
ancestor(X,Y) :- parent(X,Y).  
ancestor(X,Y) :-  
    parent(Z,Y),  
    ancestor(X,Z).
```

- n **X** is an ancestor of **Y** if:
  - i Base case: **x** is a parent of **y**
  - i Recursive case: there is some **z** such that **z** is a parent of **y**, and **x** is an ancestor of **z**
- n Prolog tries rules in the order you give them, so put base-case rules and facts first

```
?- ancestor(jean,jean).  
  
No  
?- ancestor(kim,holly).  
  
Yes  
?- ancestor(A,holly).  
  
A = kim ;  
  
A = margaret ;  
  
A = esther ;  
  
A = herbert ;  
  
No
```

## Core Syntax Of Prolog

- n You have seen the complete core syntax:

```
<clause> ::= <fact> | <rule>  
<fact> ::= <term> .  
<rule> ::= <term> :- <termlist> .  
<termlist> ::= <term> | <term> , <termlist>
```

- n There is not much more syntax for Prolog than this: it is a very simple language

## Let's practice with a joke

Monty Python and the Holy Grail (Scene 5, The Witch Scene)



Script available from :  
<http://www.calvin.edu/~rpruim/courses/m156/F99/prolog/duck.txt>

## The Prolog program

```
witch(X) :- burns(X), female(X).
burns(X) :- wooden(X).
wooden(X) :- floats(X).
floats(X) :- sameweight(duck, X).
female(girl). /* by observation */
sameweight(duck, girl). /*by experiment*/

? witch(girl).
```

Adapted from  
<http://www.csse.monash.edu.au/~lloyd/tildeLogic/Prolog.toy/Examples/>.

```
$ pl
Welcome to SWI-Prolog (Multi-threaded, Version 5.6.32)
Copyright (c) 1990-2007 University of Amsterdam.
SWI-Prolog comes with ABSOLUTELY NO WARRANTY. This is free software,
and you are welcome to redistribute it under certain conditions.
Please visit http://www.swi-prolog.org for details.

For help, use ?- help(Topic). or ?- apropos(Word).

?- consult(witch).
% witch compiled 0.00 sec, 1,428 bytes

Yes
?- witch(girl).

Yes
?-
```

## Logic programming

- n First look at Prolog
- ➔ n Declarative vs. Procedural programming
- n Behind the scenes
- n Second look at Prolog
- n Example

## The Procedural Side

- ```
greatgrandparent(GGP,GGC) :-
    parent(GGP,GP), parent(GP,P), parent(P,GGC).
```
- n A rule says how to prove something:
    - i To prove `greatgrandparent(GGP,GGC)`, find some `GP` and `P` for which you can prove `parent(GGP,GP)`, then `parent(GP,P)` and then finally `parent(P,GGC)`
  - n A Prolog program specifies proof procedures for queries

## The Declarative Side

- n A rule is a logical assertion:
  - i For all bindings of `GGP`, `GP`, `P`, and `GGC`, if `parent(GGP,GP)` and `parent(GP,P)` and `parent(P,GGC)`, then `greatgrandparent(GGP,GGC)`
- n Just a formula – it doesn't say how to do anything – it just makes an assertion:

$$\forall GGP,GP,P,GGC. \text{parent}(GGP,GP) \wedge \text{parent}(GP,P) \wedge \text{parent}(P,GGC) \Rightarrow \text{greatgrandparent}(GGP,GGC)$$

## Declarative Languages

- n Each piece of the program corresponds to a simple mathematical abstraction
  - i Prolog clauses – formulae in first-order logic
  - i ML fun definitions – functions
- n Many people use *declarative* as the opposite of *imperative*, including both logic languages and functional languages

## Declarative Advantages

- n Imperative languages are doomed to subtle side-effects and interdependencies
- n Simpler declarative semantics makes it easier to develop and maintain correct programs
- n Higher-level, more like *automatic programming*: describe the problem and have the computer write the program

## Prolog Has Both Aspects

- n Partly declarative
  - ∴ A Prolog program has logical content
- n Partly procedural
  - ∴ A Prolog program has procedural concerns: clause ordering, condition ordering, side-effecting predicates, etc.
- n It is important to be aware of both

## Logic programming

- n First look at Prolog
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- n Example

## Backtracking

- n The language system has to look for a solution to a query and guarantee termination – difficult task.
- n Prolog uses a simple backtracking strategy
- n If efficiency is important, backtracking can be controlled.

## Backtracking

- n Simple backtracking: depth-first tree search with subgoal evaluation from left to right
- n User gives a goal. Prolog starts to satisfy the list of subgoals and if failure occurs it backtracks and tries an alternative set of goals

## Backtracking

- n Prolog explores all possible targets of each call, until it finds as many successes as the caller requires or runs out of possibilities

## Backtracking Example

```
1. loves(john,jane).
2. loves(john,hilda).
3. loves(bill,jane).
4. loves(james,jane).
5. loves(mary,bill).
6. loves(jane,james).
7. goodmatch(X,Y) :- loves(X,Y),loves(Y,X)
```

```
?- goodmatch(A,B)
```

## Trace

```
?- trace.
|
Yes
[trace] ?- goodmatch(A,B).
Call: (6) goodmatch(_G283, _G284) ? creep
Call: (7) loves(_G283, _G284) ? creep
Exit: (7) loves(john, jane) ? creep
Call: (7) loves(jane, john) ? creep
Fail: (7) loves(jane, john) ? creep
Redo: (7) loves(_G283, _G284) ? creep
Exit: (7) loves(john, hilda) ? creep
Call: (7) loves(hilda, john) ? creep
Fail: (7) loves(hilda, john) ? creep
Redo: (7) loves(_G283, _G284) ? creep
Exit: (7) loves(bill, jane) ? creep
Call: (7) loves(jane, bill) ? creep
Fail: (7) loves(jane, bill) ? creep
Redo: (7) loves(_G283, _G284) ? creep
Exit: (7) loves(james, jane) ? creep
Call: (7) loves(jane, james) ? creep
Exit: (7) loves(jane, james) ? creep
Exit: (6) goodmatch(james, jane) ? creep

A = james
B = jane

Yes
[debug] ?- █
```

What is the disadvantage of Prolog automatic backtracking?

## Controlled backtracking - cut

- n The cut operation ! can stop backtracking.
- n Prevents from trying alternatives that cannot succeed.
- n Useful in mutually exclusive clauses

## Same example, with cut

```
1. loves(john,jane).
2. loves(bill,jane).
3. loves(james,jane).
4. loves(mary,bill).
5. loves(jane,james).
6. goodmatch(X,Y) :- loves(X,Y),loves(Y,X),!
```

## Disadvantage of cuts

- n Declarative and procedural meaning may differ
- n Green and red cuts

## Logic programming

- n First look at Prolog
- n Declarative vs. Procedural programming
- n Behind the scenes
- ➔ n Second look at Prolog
- n Example

## Second look at Prolog

- n Operators
- n Lists
- n Anonymous
- n Negation

## Operators

- n Prolog has some predefined operators (and the ability to define new ones)
- n An operator is just a predicate for which a special abbreviated syntax is supported

## The = Predicate

- n The goal  $=(x, y)$  succeeds if and only if  $x$  and  $y$  can be unified:

```
?- =(parent(adam, seth), parent(adam, X)).  
  
X = seth  
  
Yes
```

- n Since = is an operator, it can be and usually is written like this:

```
?- parent(adam, seth)=parent(adam, X).  
  
X = seth  
  
Yes
```

## Arithmetic Operators

- n Predicates +, -, \* and / are operators too, with the usual precedence and associativity

```
?- X = +(1, *(2, 3)).  
  
X = 1+2*3  
  
Yes  
?- X = 1+2*3.  
  
X = 1+2*3  
  
Yes
```

Prolog lets you use operator notation, and prints it out that way, but the underlying term is still  $(1, *(2, 3))$

## Terms are Not Evaluated

```
?- +(X, Y) = 1+2*3.  
  
X = 1  
Y = 2*3  
  
Yes  
?- 7 = 1+2*3.  
  
No
```

- n The term is still  $(1, *(2, 3))$
- n It is not evaluated

## Lists in Prolog

- n A bit like ML lists
- n The atom `[]` represents the empty list
- n A predicate `.` corresponds to ML's `::` operator

| ML expression            | Prolog term                           |
|--------------------------|---------------------------------------|
| <code>[]</code>          | <code>[]</code>                       |
| <code>1::[]</code>       | <code>.(1, [])</code>                 |
| <code>1::2::3::[]</code> | <code>.(1, .(2, .(3, [])))</code>     |
| No equivalent.           | <code>.(1, .(parent(X,Y), []))</code> |

## List Notation

| List notation                 | Term denoted                          |
|-------------------------------|---------------------------------------|
| <code>[]</code>               | <code>[]</code>                       |
| <code>[1]</code>              | <code>.(1, [])</code>                 |
| <code>[1, 2, 3]</code>        | <code>.(1, .(2, .(3, [])))</code>     |
| <code>[1, parent(X,Y)]</code> | <code>.(1, .(parent(X,Y), []))</code> |

- n ML-style notation for lists
- n These are just abbreviations for the underlying term using the `.` predicate
- n Prolog usually displays lists in this notation

## Example

```
?- X = .(1, .(2, .(3, []))).
X = [1, 2, 3]
Yes
?- .(X,Y) = [1,2,3].
X = 1
Y = [2, 3]
Yes
```

## List Notation With Tail

- n Last in a list can be the symbol `|` followed by a final term for the tail of the list
- n Useful in patterns: `[1, 2 | X]` unifies with any list that starts with `1, 2` and binds `x` to the tail

```
?- [1,2|X] = [1,2,3,4,5].
X = [3, 4, 5]
Yes
```

## The `append` Predicate

```
?- append([1,2],[3,4],Z).
Z = [1, 2, 3, 4]
Yes
```

- n Predefined `append(X, Y, Z)` succeeds if and only if `Z` is the result of appending the list `Y` onto the end of the list `X`

## `append` is Not Just A Function

```
?- append(X,[3,4],[1,2,3,4]).
X = [1, 2]
Yes
```

- n `append` can be used with any pattern of instantiation (that is, with variables in any positions)

## Not Just A Function

```
?- append(X,Y,[1,2,3]).  
  
X = []  
Y = [1, 2, 3] ;  
  
X = [1]  
Y = [2, 3] ;  
  
X = [1, 2]  
Y = [3] ;  
  
X = [1, 2, 3]  
Y = [] ;  
  
No
```

## Other Predefined List Predicates

| Predicate                  | Description                                                                                                                                                                 |
|----------------------------|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| <code>member(X,Y)</code>   | Provable if the list <code>Y</code> contains the element <code>X</code> .                                                                                                   |
| <code>select(X,Y,Z)</code> | Provable if the list <code>Y</code> contains the element <code>X</code> , and <code>Z</code> is the same as <code>Y</code> but with one instance of <code>X</code> removed. |
| <code>nth0(X,Y,Z)</code>   | Provable if <code>X</code> is an integer, <code>Y</code> is a list, and <code>Z</code> is the <code>X</code> th element of <code>Y</code> , counting from 0.                |
| <code>length(X,Y)</code>   | Provable if <code>X</code> is a list of length <code>Y</code> .                                                                                                             |

- n All flexible, like `append`
- n Queries can contain variables anywhere

## Using `select`

```
?- select(2,[1,2,3],Z).  
  
Z = [1, 3] ;  
  
No  
?- select(2,Y,[1,3]).  
  
Y = [2, 1, 3] ;  
  
Y = [1, 2, 3] ;  
  
Y = [1, 3, 2] ;  
  
No
```

## The `reverse` Predicate

```
?- reverse([1,2,3,4],Y).  
  
Y = [4, 3, 2, 1] ;  
  
No
```

- n Predefined `reverse(X,Y)` unifies `Y` with the reverse of the list `X`
- n **Not flexible**

## The Anonymous Variable

- n The variable `_` is an anonymous variable
- n Every occurrence is bound independently of every other occurrence
- n In effect, much like ML's `_`: it matches any term without introducing bindings

## Example

```
tailof(._,A),A).
```

- n This `tailof(X,Y)` succeeds when `X` is a non-empty list and `Y` is the tail of that list
- n Don't use this, even though it works:

```
tailof(. (Head,A),A).
```

## The not Predicate

```
?- member(1,[1,2,3]).  
Yes  
?- not(member(4,[1,2,3])).  
Yes
```

- n For simple applications, it often works quite a bit logical negation
- n But it has an important procedural side...

## Negation

- n Prolog uses the **closed-world assumption**—it assumes that all facts about the world are included in the model.
- n Ex: To prove **not married (fred)**, Prolog attempts to prove **married (fred)**.
- n **not married (fred)** succeeds if the system fails to prove that **fred** is married.
- n It can happen in 2 cases:
  - i Bill is really not married
  - i System cannot prove that bill is married
- n Conclusion: take care in interpreting the answer to a negation question!!

## Negation

- n The two faces of Prolog:
  - i Declarative: **not (X) = ¬X**
  - i Procedural: **not (X)** succeeds if **x** fails, fails if **x** succeeds, and runs forever if **x** runs forever

## Example

```
sibling(X,Y) :-  
  not(X=Y),  
  parent(P,X),  
  parent(P,Y).  
  
?- sibling(kim,kent).  
Yes  
?- sibling(kim,kim).  
No  
?- sibling(X,Y).  
No
```

```
sibling(X,Y) :-  
  parent(P,X),  
  parent(P,Y),  
  not(X=Y).
```

```
?- sibling(X,Y).  
X = kim  
Y = kent ;  
  
X = kent  
Y = kim ;  
  
X = margaret  
Y = jean ;  
  
X = jean  
Y = margaret ;  
  
No
```

## Logic programming

- n First look at Prolog
- n Declarative vs. Procedural programming
- n Behind the scenes
- n Second look at Prolog
- ➡ n Example

## The problem: A Classic Riddle

- n A man travels with wolf, goat and cabbage
- n Wants to cross a river from west to east
- n A rowboat is available, but only large enough for the man plus one possession
- n Wolf eats goat if left alone together
- n Goat eats cabbage if left alone together
- n How can the man cross without loss?



n <http://www.mathcats.com/explore/river/crossing.html>

### Configurations

n Represent a configuration of this system as a list showing which bank each thing is on in this order: man, wolf, goat, cabbage

n Initial configuration: **[w,w,w,w]**

n If man crosses with wolf, new state is **[e,e,w,w]** – but then goat eats cabbage, so we can't go through that state

n Desired final state: **[e,e,e,e]**

### Moves

n In each move, man crosses with at most one of his possessions

n We will represent these four moves with four atoms: **wolf, goat, cabbage, nothing**

n (Here, **nothing** indicates that the man crosses alone in the boat)

### Moves Transform Configurations

n Each move transforms one configuration to another

n In Prolog, we will write this as a predicate:  
**move(Config,Move,NextConfig)**

- i **Config** is a configuration (like **[w,w,w,w]**)
- i **Move** is a move (like **wolf**)
- i **NextConfig** is the resulting configuration (in this case, **[e,e,w,w]**)

### The **move** Predicate

```
change(e,w).
change(w,e).

move([X,X,Goat,Cabbage],wolf,[Y,Y,Goat,Cabbage]) :-
    change(X,Y).
move([X,Wolf,X,Cabbage],goat,[Y,Wolf,Y,Cabbage]) :-
    change(X,Y).
move([X,Wolf,Goat,X],cabbage,[Y,Wolf,Goat,Y]) :-
    change(X,Y).
move([X,Wolf,Goat,C],nothing,[Y,Wolf,Goat,C]) :-
    change(X,Y).
```

## Safe Configurations

- n A configuration is safe if
  - i At least one of the goat or the wolf is on the same side as the man, and
  - i At least one of the goat or the cabbage is on the same side as the man

```
oneEq(X,X,_).  
oneEq(X,_,X).
```

```
safe([Man,Wolf,Goat,Cabbage]) :-  
oneEq(Man,Goat,Wolf),  
oneEq(Man,Goat,Cabbage).
```

## Solutions

- n A solution is a starting configuration and a list of moves that takes you to [e,e,e,e], where all the intermediate configurations are safe

```
solution([e,e,e,e],[]).  
solution(Config,[Move|Rest]) :-  
move(Config,Move,NextConfig),  
safe(NextConfig),  
solution(NextConfig,Rest).
```

## Prolog Finds A Solution

```
?- length(X,7), solution([w,w,w,w],X).  
X = [goat, nothing, wolf, goat, cabbage, nothing, goat]  
Yes
```

- n Note: without the `length(X,7)` restriction, Prolog would not find a solution
- n It gets lost looking at possible solutions like `[goat,goat,goat,goat,goat...]`

## What Prolog Is Good For

- n The program specified a problem logically
- n It did not say how to search for a solution to the problem – Prolog took it from there
- n That's one kind of problem Prolog is especially good for

## Conclusion

- n Logic programming is almost exclusively carried out by Prolog
- n Prolog is a declarative language and is goal oriented
- n A Prolog program consists of facts and rules
- n The Prolog language system solves a query by matching. If the goal fails an alternative is tried by backtracking.
- n Efficiency can be improved with cuts.
- n Prolog is suited to solve logic problems in AI